

A Weighted Maximum Entropy Language Model for Text Classification

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Abstract. The Maximum entropy (ME) approach has been extensively used in various Natural Language Processing tasks, such as language modeling, part-of-speech tagging, text classification and text segmentation. Previous work in text classification was conducted using maximum entropy modeling with binary-valued features or counts of feature words. In this work, we present a method for applying Maximum Entropy modeling for text classification in a different way. Weights are used to select the features of the model and estimate the contribution of each extracted feature in the classification task. Using the X square test to assess the importance of each candidate feature we rank them and the most prevalent features, the most highly ranked, are used as the features of the model. Hence, instead of applying Maximum Entropy modeling in the classical way, we use the X square values to assign weights to the features of the model. Our method was evaluated on Reuters-21578 dataset for text classification tasks, giving promising results and comparably performing with some of the “state of the art” classification schemes.

1 Introduction

Manual categorization of electronic digital documents is time-consuming and expensive and its applicability is limited especially for very large document collections. Consequently, text classification has increased in importance and economic value as it is related to key technologies for classifying new electronic documents, extracting interesting information on web and guiding users search through hypertext.

In early approaches to text classification a document representation model is employed based on term-based vectors. Such vectors are elements of some high dimensional Euclidean space where each dimension corresponds to a term. Classification algorithm and supervised learning training are usually applied.

A great number of text categorization and classifying techniques have been proposed to the literature, including Bayesian techniques [1],[2],[3], k-Nearest Neighbors (k-NN) classification methods [4],[5],[6], the Rocchio algorithm for Information Retrieval [7],[8], Artificial Neural Networks (ANN) techniques [9],[10],[11],[12], Support Vector Machines (SVM) learning method [13],[14],[15], Hidden Markov Models (HMM) [19],[20], and Decision Tree (DT) classification methods [17],[18],[9],[1]. In most of these methods, the aim is to estimate the parameters of the joint distribution between the object X , that we want to be classified, and a class category C and assign the object X to the category with the greater probability. Unfortunately, the complexity of the problem in real-world applications implies that the estimation of the joint distribution is a difficult task. In general such an estimation involves a potentially infinite set of calculations over all possible combinations of X and elements of C . Using the Bayes formula the problem can be decomposed to the estimation of two components $P(X|C)$ and $P(C)$, known as the conditional class distribution and prior distribution, respectively.

Maximum Entropy (ME) modeling could be seen as an intuitive way for estimating a probability and has been successfully applied in various Natural Language Processing (NLP) tasks such as language modeling, part-of-speech tagging and text segmentation [23],[24],[25],[26],[28],[29]. The main principle underlying ME is that the estimated conditional probability should be as uniform as possible (have the “maximum entropy”). The main advantage of ME modeling for the classification task is that it offers a framework for specifying any potentially relevant information. Such information could be expressed in the form of feature functions, the mathematical expectations (constraints) of which are estimated based on labeled training data and characterize the class-specific expectations for the distribution. The main principle of ME could also be seen in the following way: “Among all the allowed probability distributions, which conform to the constraints of the training data, the one with the maximum entropy (the most uniform) is chosen”. It can be proved that there is a unique solution for this problem. The uniformity of the solution found, a condition known as the “lack of smoothing”, may be undesirable in some cases. For example, if we have a feature that always predicts a certain class then this feature can be assigned to a high ranked weight. Another potential shortcoming of the ME modeling is that the algorithm which is used to find the solution can be computationally expensive due to the complexity of the problem.

In this work, we try to eliminate the above undesirable situations. As it is well known, χ^2 square statistic has been widely used in NLP tasks. The χ^2 square test for independence can be applied to problems where data is divided into mutual exclusive categories and has the advantage that it does not assume normally distributed probabilities. The “essence” of the test is to assess the assumption that is related to the independence of an object X from a category. If the difference between the observed and expected frequency is great we can reject the assumption about the independence (null hypothesis). Every *word* term w in a document d is seen as a candidate feature and the χ^2 square statistic is used to test the independence of the word w (with each element of the Class Categories c). This test is conducted by counting the (observed) frequencies of the word, in each class category of the training set. Then the resulting value of the test is used to select the most representative features for the maximum

entropy model as well as to assign weights to the features giving different importance for the classification task in each one of them.

In section 2 the application of the X square test for feature extraction based on a sample of data and the related weighting scheme are discussed. In section 3 the maximum entropy modeling and the improved iterative scaling (IIS) algorithm are presented. In section 4 we discuss the way of using maximum entropy modeling for text classification. In section 5 the experimental results are presented and briefly discussed and in section 6 the conclusions and future activities are given.

2 X Square Test for Feature Selection

Among the most challenging tasks in the classification process, we can distinguish the selection of suitable features to represent the instances of a particular class. Additionally, the choice of the best candidate features can be a real disadvantage for the selection algorithm, in terms of effort and time consumption [22].

As it has been mentioned above, each document is represented as a vector of words, as is typically done in the Information Retrieval approach. Although in most text retrieval applications the entries (constituents) of a vector are weighted to “reflect” the importance of the term, in text classification simpler binary feature values (i.e., a term either occurs or does not occur in a document) are often used. Usually, text collections contain millions of unique terms and for reasons of computational efficiency and efficacy, feature selection is an essential step when applying machine learning methods for text categorization. In this work, the X square test is used to reduce the dimensionality of data and is also related to the maximum entropy modeling.

In 1900, Karl Pearson developed a statistic that compares all the observed and expected values (numbers) when the possible outcomes are divided into mutually exclusive categories. The chi-square statistic is expressed by the following equation 1:

$$\chi^2 = \sum \frac{(\text{observed} - \text{expected})^2}{\text{expected}} \quad (1)$$

Where Greek letter Σ stands for the summation and is calculated over the categories of all possible outcomes.

The observed and expected values can be explained in the context of hypothesis testing. If data is divided into mutual exclusive categories and we can form a null hypothesis about the sample of the data, then the expected value is the value of each category if the null hypothesis is true. The observed value for each category is the value that we observe from the sample data.

The chi-square test is a reliable way of gauging the significance of how closely the data agree with the detailed implications of a null hypothesis.

To clarify things let us see an example based on data from Reuters-21578. Suppose that we have two distinct class categories $c_1 = \text{'Acq'}$ and $c_2 \neq \text{'Acq'}$ extracted from the Reuters-21578 ‘ModApte’ split training data set. We are interested in assessing the independence of the word ‘usa’ from the elements of class categories c_1 and c_2 .

From the training data set we remove all the numbers and the words that exist in the stopword list. Counting the frequencies of the word 'usa' in the training dataset we find that the word 'usa' appears in the class Acq ($c_1='Acq'$) 1,238 times, and in the other categories (classes), which means that the word is in the class ($c_2 \neq 'Acq'$), 4,464 times. In the class 'Acq' there is a total of 125,907 word terms while in the other classes a total of 664,241. A total of $N=790,148$ word terms is contained in the Reuters-21578 training dataset. It would be useful to use the contingency table 1 in which the data are classified.

Table 1. Contingency table of frequencies for the word *usa* and the class *Acq* (calculation based on Reuters-21578 'ModApte' split training dataset)

	$c_1 = 'Acq'$	$c_2 \neq 'Acq'$	Total
$w = 'usa'$	1,238	4,464	5,702
$w \neq 'usa'$	124,669	659,777	784,446
Total	125,907	664,241	N=790,148

The assumption about the independence (null hypothesis) is that occurrences of the word 'usa' and the class label 'Acq' are independent.

We compute now the expected number of observations (frequencies) in each cell of the table if the null hypothesis is true. These frequencies can be easily determined by multiplying the appropriate row and column totals and then dividing by the total number of observations.

Expected frequencies:

$$w = 'usa' \text{ and } c_1 = 'Acq': E_{11} = (5,702 \times 125,907) / 790,148 = 908.59$$

$$w = 'usa' \text{ and } c_1 \neq 'Acq': E_{12} = (5,702 \times 664,241) / 790,148 = 4,793.4$$

$$w \neq 'usa' \text{ and } c_1 = 'Acq': E_{21} = (784,446 \times 125,907) / 790,148 = 124,998.4$$

$$w \neq 'usa' \text{ and } c_1 \neq 'Acq': E_{22} = (784,446 \times 664,241) / 790,148 = 659,447.6$$

Using equation 1 we calculate the X^2 value:

$$\begin{aligned} X^2 &= (1,238 - 908.59)^2 / 908.59 + (4,464 - 4,793.4)^2 / 4,793.4 + \\ &\quad (124,669 - 124,998.4)^2 / 124,998.4 + (659,777 - 659,447.6)^2 / 659,447.6 \\ &= 143.096. \end{aligned}$$

Then we calculate the X^2 value using eq. 1. We find a critical value for a significance level α (usually $\alpha=0.05$) and for one degree of freedom (the statistic has one degree of freedom for a 2x2 contingency table). If the calculated value is greater than the critical value we can reject the null hypothesis that the word 'usa' and the class label 'Acq' occur independently. So, for a calculated great X^2 value we have a strong evidence for the pair ('usa', 'Acq'). Hence, the word 'usa' is a good feature for the classification in the category 'Acq'.

To make things simpler, we are only interested in calculating great X^2 values. Our aim is to choose the most representative features among the large number of candidates and perform classification in a lower dimensionality space.

For a contingency 2-by-2 table the X square values can be calculated by the following formula 2:

$$X^2 = \frac{N(a_{11}a_{22} - a_{12}a_{21})^2}{(a_{11} + a_{12})(a_{11} + a_{21})(a_{12} + a_{22})(a_{21} + a_{22})} \quad (2)$$

Where a_{ij} are the entries of the contingency 2-by-2 table A and N the total sum of these entries.

Chi-square test has been used in the past for feature selection in text classification field. Yang and Pedersen [34] compared five measurements in term selection, and found that the *chi-square* and *information gain* gave the best performance.

3 Maximum Entropy Approach

3.1 Maximum Entropy Modeling

The origin of Entropy can be traced in the dates of Shannon [27] when this concept was used to estimate how much data could be compressed before the transmission over a communication channel. The entropy H measures the average uncertainty of a single random variable X :

$$H(p) = H(X) = - \sum_{x \in X} p(x) \log_2 p(x) \quad (3)$$

Where, $p(x)$ is the probability mass function of the random variable X . Equation 4 also calculates the average number of bits we need to transfer all the information. Formula 3 is used in the communication theory to save the bandwidth of a communication channel. We prefer a model of X with less entropy so that we can use smaller bits to interpret the uncertainty (information) inside X . However in NLP tasks we want to find a model to maximize the entropy. This sounds as though we are violating the basic principle of entropy. Actually, we try to avoid “bias” when the certainty cannot be identified from the empirical evidence.

Many problems in NLP could be re-formulated as statistical classification problems. Text classification task could be seen as a random process Y which takes as input a document d and produces as output a class label c . The output of the random Y may be affected by some contextual information X . The domain of X contains all the possible textual information existing in the document d . Our aim is to specify a model $p(y|x)$ which denotes the probability that the model assigns $y \in Y$ when the contextual information is $x \in X$. The notation of this section follows that of Adam Berger [28] [29] [35].

On the first step, we observe the behavior of the random process in a training sample set collecting a large number of samples $(x_1, y_1), (x_2, y_2) \dots (x_N, y_N)$. We can summarize the training sample defining a joint empirical distribution over x and y from these samples:

$$\tilde{p}(x, y) = \frac{1}{N} \times \text{number of times } (x, y) \text{ occurs in the sample} \quad (4)$$

One way to represent contextual evidence is to encode useful facts as features and to impose constraints on values of those feature expectations. This is done in the following way. We introduce the indicator function [28] [35]

$$f(x, y) = \begin{cases} 1 & \text{if } y = \text{'some value_1'} \text{ and } x = \text{'some value_2'} \\ 0 & \text{otherwise} \end{cases} \quad (5)$$

For example, in our classification problem an indicator function may be $f(x, y) = 1$ if $y = 'c_1'$ and x contains the word 'money' and $f(x, y) = 0$ otherwise. Where ' c_1 ' is a particular value from the class labels and x is the context (the document) where the word 'crude' occurs within. Such an indicator function f is called a feature function or feature for short. Its mathematical expectation with respect to the model $p(y|x)$ is

$$\sum_{x, y} \tilde{p}(x, y) f(x, y) \quad (6)$$

We can ensure the importance of this statistic by specifying that the expected value that the model assigns to the corresponding feature function is in accordance with the empirical expectation of equation 7.

$$\sum_{x, y} \tilde{p}(x) p(y | x) f(x, y) = \sum_{x, y} \tilde{p}(x, y) f(x, y) \quad (7)$$

where $\tilde{p}(x)$ is the empirical distribution of x in the training sample.

We call the requirement equation 7 a *constraint equation* or simply a *constraint* [28][35].

When constraints are estimated, there are various conditional probability models which can be applied and satisfy these constraints. Among all these models there is always a unique distribution that has the maximum entropy and it can be shown [30] that the distribution has an exponential form:

$$p_\lambda(y | x) = \frac{1}{Z_\lambda(x)} \exp\left(\sum_i \lambda_i f_i(x, y)\right) \quad (8)$$

where $Z(x)$ a normalizing factor to ensure a probability distribution given by

$$Z_\lambda(x) = \sum_y \exp\left(\sum_i \lambda_i f_i(x, y)\right) \quad (9)$$

where λ_i a parameter to be estimated, associated with the constraint f_i .

The solution, which is related to the maximum entropy model and is calculated by the equation 9, is also the solution to a dual maximum likelihood problem for models of the same exponential form. It means that the likelihood surface is convex, having a single global maximum and no local maximum. There is an algorithm that finds the solution performing Hill Climbing in likelihood space.

3.2 Improved Iterative Scaling

We describe now a basic outline of the improved iterative scaling (IIS) algorithm, a Hill Climbing algorithm for estimating the parameters λ_i of the maximum entropy model, specially adjusted for text classification. The notation of this section follows that of Nigam et al. [31] with x to represent a document d and y a class label c .

Given a set of training dataset D , which consists of pairs $(d, c(d))$, where d the document and $c(d)$ the class label in which the document belongs, we can calculate the loglikelihood of the model of equation 9.

$$L(p_\lambda | D) = \log \prod_{d \in D} p_\lambda(c(d) | d) = \sum_{d \in D} \sum_i \lambda_i f_i(d, c(d)) - \sum_{d \in D} \log \sum_c \exp \sum_i \lambda_i f_i(d, c) \quad (10)$$

The algorithm is applicable whenever the feature functions $f_i(d, c(d))$ are non-negative.

To find the global maximum of the likelihood surface, the algorithm must start from an initial exponential distribution of the correct form (that is to “guess” a starting point) and then perform Hill Climbing in likelihood space. So, we start from an initial value for the parameters λ_i , say $\lambda_i = 0$ for $i=1:K$ (where K the total number of features) and in each step we improve by setting them equal to $\lambda_i + \delta_i$, where δ_i is the increment quantity. It can be shown that at each step we can find the best δ_i by solving the equation:

$$\sum_{d \in D} (f_i(d, c(d)) - \sum_c p_\lambda(c | d) \exp(\delta_i f_i^\#(d, c))) = 0 \quad (11)$$

Where $f_i^\#(d, c)$ is the sum of all the features in the training instance d .

Equation 12 can be solved in a “closed” form if the $f_i^\#(d, c)$ is constant, say M , for all d, c [28][31].

$$\delta_i = \frac{1}{M} \log \frac{\sum_{d \in D} f_i(d, c(d))}{\sum_c p_\lambda(c | d) f_i(c, d)} \quad (12)$$

where $p_\lambda(c|d)$ is the distribution of the exponential model of equation 9.

If this is not true, then equation 12 can be solved using a numeric root-finding procedure, such as Newton’s method.

However in this case, we can still solve equation 12 in “closed” form by adding an extra feature to provide that $f_i^\#(d, c)$ will be constant for all d, c , in the following way:

We define M as the greatest possible feature sum:

$$M = \max_{d, c} \sum_{i=1}^K f_i(d, c) \quad (13)$$

and add an extra feature, that is defined as follows:

$$f_{K+1}(d,c) = M - \sum_{i=1}^K f_i(d,c) \quad (14)$$

Now we can present an improved iterative scaling algorithm (IIS)

```

Begin
  Add an extra feature  $f_{K+1}$  following equations 13,14
  Initialize  $\bullet_i = 0$  for  $i=1:K+1$ 
  Repeat
    Calculate the expected class labels  $p_i(c|d)$ 
    for each document with the current parameters
    using equation 9
    calculate  $\bullet_i$  from equation 12
    set  $\bullet_i = \bullet_i + \bullet_i$ 
  Until convergence
  Output: Optimal parameters  $\bullet_i$  optimal model  $p_i$ 
End

```

4 Maximum Entropy Modeling for Text Classification

The basic shortcoming of the IIS algorithm is that it may be computationally expensive due to the complexity of the classification problem. Moreover, the uniformity of the found solution (lack of smoothing) can also cause problems. For example, if we have a feature that always predicts a certain class, then this feature may be assigned to an excessively high weight. The innovative point in this work is to use the X square test to rank all the candidate feature words, that is, all the word terms that appear in the training set and then select the most highly ranked of them for use in the maximum entropy model.

If we decide to select the K most highly ranked word terms w_1, w_2, \dots, w_K we instantiate the features as follows:

$$f_i(d,c) = \begin{cases} xsquare(i) & \text{if word } w_i \text{ occurs in } d \text{ and pair } (d,c) \\ & \text{appears in the training set} \\ 0 & \text{otherwise} \end{cases} \quad (15)$$

where $xsquare(i)$ denotes the X square score of the word w_i obtained during the feature selection phase.

This way of instantiating features has two advantages: first it gives a weight to each feature and second it creates a separate list of features for each class label. The features from each list can be different from class to class. These features are activated only with the presence of the particular class label and are strong indicators of it. Of course some features are common to more than one classes. These lists of features are used from the resulting binary text classifier (the optimal model of the IIS algorithm)

to calculate the expected class labels probabilities for a document d , equation 9, and then to assign the document d to the class with the highest probability.

5 Experimental Results

We evaluated our method using the “ModApte” split of the Reuters-21578 dataset compiled by David Lewis. The “ModApte” split leads to a corpus of 9,603 training documents and 3,299 test documents. We choose to evaluate only ten (10) categories (from the 135 potential topic categories) for which there is enough number of training and test document examples. We want to build a binary classifier and we split the documents into 2 groups: ‘Yes’ group, the document belongs to the category and ‘No’ group, the document does not belong to the category. The 10 categories with the number of documents for the training and test phase are shown in table 2.

Table 2. 10 categories from the “ModApte” split of the Reuters-21578 dataset and the number of documents for the Training and the Test phase for a binary classifier.

Category	Train		Test	
	Yes	No	Yes	No
Acq	1615	7988	719	2580
Corn	175	9428	56	3243
Crude	383	9220	189	3110
Earn	2817	6786	1087	2212
Grain	422	9181	149	3150
Interest	343	9260	131	3168
Money- fx	518	9085	179	3120
Ship	187	9416	89	3210
Trade	356	9247	117	3182
Wheat	206	9397	71	3228

In the training phase 9,603 documents were parsed. We avoid stemming of the words and simply removed all the numbers and the words contained in a stopword list. This preprocessing phase calculated 32,412 discrete terms of a total of 790,148 word terms. The same preprocessing phase was conducted in the test phase.

We applied the X square test to the corpus of those features (see section 3) and then we selected for the maximum entropy model the 2,000 most highly ranked word terms for each category. Table 3 presents for each category the 10 top ranked word terms calculated by the X square test.

Table 3. 10 top ranked words calculated by the X square test for the 10 categories (the ModApte Reuters-21578 training dataset)

Acq	Corn	Crude	Earn	Grain
bgas	values	Crude	earn	Filing
annou	july	Comment	usa	Prevailing
ameritech	egypt	Spoke	convertible	Outlined
calny	agreed	stabilizing	moody	Brian
adebayo	shipment	cancel	produce	Marginal
echoes	belgium	shipowners	former	Winds
affandi	oilseeds	foresee	borrowings	Proceedings
f8846	finding	sites	caesars	neutral
faded	february	techniques	widespread	requiring
faultered	permitted	stayed	honduras	bangladesh
Interest	Money-fx	Ship	Trade	Wheat
money	flexible	acq	trade	rumors
fx	conn	deficit	brazil	monetary
discontin-	proposals	buy	agreement	eastern
ued	soon	officials	chirac	policy
africa	requirement	price	communications	cbt
signals	slow	attempt	growth	storage
anz	soybeans	mitsubishi	restraint	proposal
exploration	robert	mths	ran	reuter
program	calculating	troubled	slowly	usually
tuesday	speculators	departments	conclusion	moisture
counterparty				

Table 4. Micro-average Breakeven performance for 5 different learning algorithms explored by Dumais et al. Comparison with WMEM algorithm

	FindSim	NBayes	Bayes-Nets	Trees	LinearSVM	WMEM
Earn	92.9%	95.9%	95.8%	97.8%	98.2%	97.98%
acq	64.7%	87.8%	88.3%	89.7%	92.7%	87.93%
money-fx	46.7%	56.6%	58.8%	66.2%	73.9%	75.09%
grain	67.5%	78.8%	81.4%	85.0%	94.2%	83.37%
crude	70.1%	79.5%	79.6%	85.0%	88.3%	72.20%
trade	65.1%	63.9%	69.0%	72.5%	73.5%	48.16%
interest	63.4%	64.9%	71.3%	67.1%	75.8%	64.21%
ship	49.2%	85.4%	84.4%	74.2%	78.0%	50.22%
wheat	68.9%	69.7%	82.7%	92.5%	89.7%	69.88%
corn	48.2%	65.3%	76.4%	91.8%	91.1%	57.36%

Using the 2000 most highly ranked word terms for each category we instantiate the features of the maximum entropy model (see section 4). Using a number of 200 iterations in the training phase of classifier, the IIS algorithms outputs the optimal λ_i 's,

that is the optimal model $p_i(c|d)$. We call this method Weighted Maximum Entropy Modeling (WMEM) to emphasize the event that we use selected features and assign weights to them.

To evaluate the classification performance of the binary classifiers we use the so-called *precision/recall breakeven point*, which is the standard measure of performance in text classification and is defined as the value for which *precision* and *recall* are equal. *Precision* is the proportion of items placed in the category that really belong to the category, and *Recall* is the proportion of items in the category that are actually placed in the category. Table 4 summarizes the breakeven point performance for 5 different learning algorithms based on research conducted by Dumais et al. [32] and for our Weighted Maximum Entropy Model over the 10 most frequent Reuters categories. Figure 1 is a graphical representation of the system's performances to help to compare the approaches more easily.

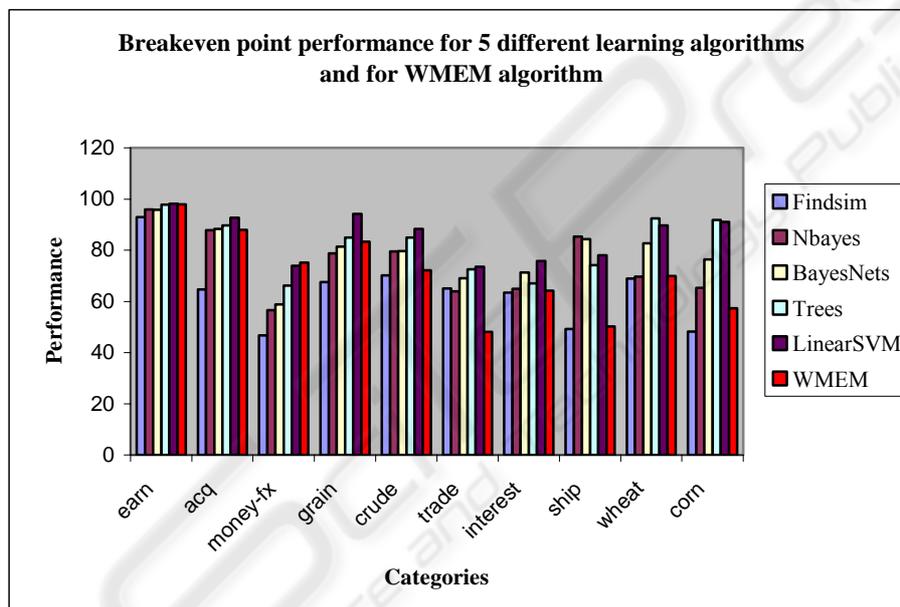


Fig. 1. Breakeven performance calculated over the top ten (10) categories of the Reuters-21578 dataset. The Weighted Maximum Entropy Model (WMEM is the last one) is compared to five (5) learning algorithms explored by Dumais et al.

Calculations illustrated in the Table 4 and Fig. 1 show that our method gives promising results especially in the case of the larger categories. It performs better than the other classifiers in the 'money-fx' category and outperforms most of the other classifiers in some of the largest in test size categories like 'earn', 'acq' and 'grain'.

6 Discussion and Future Work

There are three other works using maximum entropy for text classification: The work of Ratnaparkhi [26] is a preliminary experiment that uses binary features. The work of Mikheev [33] examines the performance of the maximum entropy modeling and conducts feature selection for text classification on the RAPRA corpus, a corpus of technical abstracts. In this work binary features were also used. Nigam et al. [31] use counts of occurrences instead of binary features and they show that maximum entropy is competitive to and sometimes better than naïve Bayes classifier.

In this work, we have extended the previous research results using a feature selection strategy and assigning weights to the features calculated by the X square test. The results of the evaluation are very promising. However, the experiments will be continued in two directions. We shall conduct new experiments changing the number of the selected features and / or the selection strategy, as well as the number of the iterations in the training phase. Additional experiments using alternative datasets such as, the *WebKB* dataset, the *Newsgroups* dataset etc., will be conducted in order to accurately estimate the performance of the proposed method.

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